

Ec. 162 Current 5-90

Mon, 21 May 90

1. "One loss May" $\frac{1 - I^{-n}}{i}$

2. Decay, $I + (1-d)I + \dots + (1-d)^{(n-1)}(I^{-n})$
 $\approx \frac{1 - (I+d)^{-n}}{i+d}$

3. Inf. series

$$V \approx \frac{a}{i+d}$$

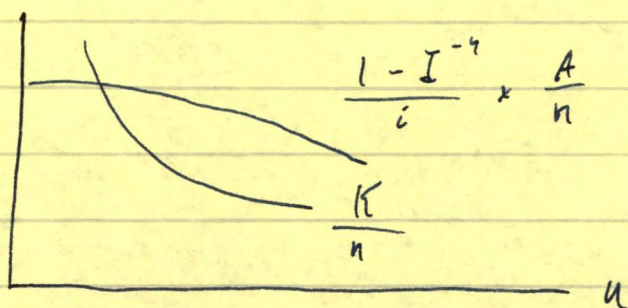
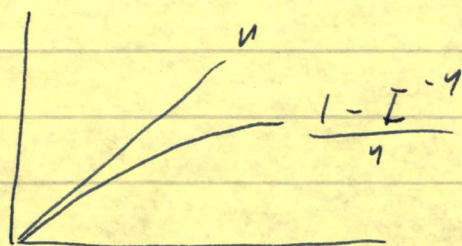
$$a - Vi = Vd = + \text{cash flow} = Kca$$

4. Local obsolescence. ^{under durable bldg?}
Land under K rises. Does buyer pay for both land & indeprec. bldg. — No.
Rising L.V. swallows bldg. value.
"Bldg - resid." method.

5. Depr.

6. PV of SL deprec. $\frac{K_0}{n} + \frac{1 - I^{-n}}{i} = tk_0 \frac{1 - I^{-n}}{ni}$

7. PV of finite flow whose CF falls in st-line
is PV of const. flow less ... ?



CF =

Table 1: Effects of values of n and i on ratio^{p. 2} of DCF-method Costs per Ton to LCF-method Costs per Ton.

The ratio is:
$$\frac{\text{DCF Method}}{\text{LCF Method}} = \frac{1 - I^{-n}}{ni}$$

n ↓	$i \rightarrow$	<u>.02</u>	<u>.04</u>	<u>.08</u>	<u>.16</u>
5		.94	.89	.80	.65
10		.90	.81	.67	.48
15		.86	.74	.57	.37
20		.82	.68	.49	.30
25		.78	.62	.43	.24
30		.75	.58	.38	.21

Table 1 reconfirms the numerical example given you last Thursday. There, LCF Cost per Ton is .64, and DCF Cost per Ton is .33, or 52% of .64.

Likewise,
$$\frac{1 - 1.08^{-18}}{18 \times .08} = .52$$

A "capital-intensive" method is one that raises K_0 , for the payoffs of a) Lowering E , or b) Raising n , or c) Raising T/n , or any combination. Usually it is a combination. Usually raising n is a major factor; hence the bias.

.80
.67

0

5

10

15

20

25

30